# High-precision high-voltage detuning system for HIAF-SRing electron target

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#### Abstract

The development of a detuning system for the precision control of electron energy is a major challenge when electron targets are used in ion-storage rings. Thus, a high-precision, high-voltage, detuning system was developed for the electron target of a high-intensity heavy-ion accelerator facility-spectrometer ring (HIAF-SRing) to produce accurate electron–ion relative energies during experiments. The system consists of auxiliary, and high-voltage detuning power supplies. The front stage of the auxiliary power supply adopts an LCC resonant converter operating in the soft-switching state and an LC filter for a sinusoidal waveform output in the post-stage. The detuning power supply is a high-voltage pulse amplifier (HVPA) connected with a high-voltage DC (HVDC) module in series. In this paper, the design and development of the detuning system are described in detail, and the test bench is presented. The test results demonstrated that the detuning system conforms to the technical specifications of the dielectronic recombination (DR) experiment. Finally, a Fe<sup>15+</sup> DR spectrum was measured using the detuning system. The experimental data demonstrated a good experimental resolution and verified the reliability and feasibility of the design.

Keywords Detuning system · Storage ring · Dielectronic recombination

## 1 Introduction

More than 95% of the visible matter in the universe is in the plasma state; controllable nuclear fusion, which is a clean energy source contributing to the future of mankind, also occurs in the plasma environment. Therefore, understanding the properties and behavior of plasma is critical. Dielectronic recombination (DR) is one of the most fundamental electron–ion recombination mechanisms in various plasmas, which significantly affects the ionization balance and population levels therein. The recombination rate coefficient obtained in DR experiments can also be used to evaluate the environmental parameters (e.g., temperature and density) of plasmas and as benchmark data to

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<sup>2</sup> School of Nuclear Science and Technology, University of Chinese Academy of Sciences, Beijing 100049, China test relevant theoretical methods and codes [1, 2]. In addition, DR plays an important role in fundamental research and has been used to study the Quantum Electrodynamics (QED) effects on few-electron ions [3, 4], isotope shifts [5], hyperfine quenching [6], and hyperfine splitting [7]. In recent decades, a series of DR experiments with High Charge Ions (HCIs) have been conducted at various storage rings, such as the test storage ring (TSR) at Max Planck Institute for Nuclear Physics (MPIK) in Heidelberg [8], the experimental storage ring (ESR) at GSI in Darmstadt [9], and the CRYRING at Manne Siegbahn Laboratory (MSL) in Stockholm [10]; the CRYRING has recently been relocated to GSI, and the CRYRING@ESR has served as a high-resolution DR experimental spectrometer. Currently, DR experiments in storage rings are performed using the electron beam provided by the electron cooler as the target. This method requires periodic detuning of the electron beam energy to obtain the expected relative energy between the electron and ion beams in the center-of-mass (cm) frame. During the detuning interval, the electron energy must return to the cooling point to maintain the



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quality of the stored ion beams. The problems associated with this method include the fact that the duty cycle for the detuning process in the measurement cycles is approximately 1/10<sup>th</sup>, which significantly reduce the efficiency of the experiment; therefore, the method is only suitable for DR measurements in the low-energy range. Currently, a new project, the high-intensity heavy-ion accelerator facility (HIAF), is under construction in China. The HIAF program aims to expand nuclear physics and related cutting-edge research into new areas. It comprises the following five components: a superconducting electroncyclotron-resonance ion source (SECR), superconducting ion linac accelerator (iLinac), booster ring (BRing), high-energy fragment separator (HFRS), and spectrometer ring (SRing) [11]. The SRing at the HIAF can provide the experimental platform for atomic and nuclear physics [12, 13]. The SRing is equipped with an electron cooler and an individual electron target, which allows for performing precision DR spectroscopy for highly charged ions in a large energy range. The electron target is operated at an arbitrary energy level while the ion beam is continuously cooled by the electron cooler. Thus, SRing significantly improves the efficiency of the experimental measurements. Simultaneously, by changing the working point HV of the electron target, a significantly broader scan range of the electron energy can be available, thus achieving precise DR spectroscopy measurements in a higher energy range. The schematics of the HIAF-SRing construction and the working method of the DR experiment are shown in Fig. 1. The electron cooling area and target are located in the long and short straight sections of the SRing, respectively. The operation of the electron target in the DR experiments can be described as follows: Initially, the working energy of the electron target is set to coincide with the energy of the electron cooling point. Energy scans are performed to measure the DR process at low collision-energy levels. The working energy is then changed step-by-step to measure the DR process at high CM collision energy levels. Furthermore, the deceleration of highly charged ions is possible in the SRing, which is beneficial for DR measurements over a large CM collision energy range.

The key technology required for an electron target is the development of a fast electron energy detuning system, which is used to produce accurate electron-ion relative energies in experiments. To verify the DR experimental scheme of the SRing, a high-precision, high-voltage detuning system is designed and developed for the electron target of the SRing; it can output adjustable millisecond pulses that float at a high DC voltage, as shown in Fig. 2. A bias voltage of up to -10 kV is provided by a high-voltage DC (HVDC) module. This was used to set the working energies, as shown in Fig. 1. A high-voltage pulse amplifier (HVPA) connected in series to the HVDC module can provide a precise detuning voltage. The maximum detuning voltage is 1 kV with a minimum voltage step of 1 V. The ripple of the detuning voltage is required to be less than 100 ppm to obtain an accurate electron-ion relative energy for detuning. The rise/fall times must be less than 500 µs for a 1 kV detuning voltage to avoid changing the ion energy owing to the cooling drag force. The pulse width is in the range of 5-20 ms, depending on the recombination rate. A demonstration experiment was conducted with a detuning system in a cooling storage ring (CSR), a heavy ion accelerator, at the Institute of Modern Physics. This study describes the development, characteristics, and performance of a high-precision high-voltage detuning system. In addition, good experimental test results were obtained, which substantiated the accuracy of the proposed detuning system technology scheme and provided a reliable technical solution for the HIAF electron target detuning system.

**Fig. 1** (Color online) Schematic diagram of the HIAF-SRing construction and working method of the DR experiment



Fig. 2 The DR experiment

requires the waveform of the output of the detuning system





A Complete DR Experiment Scan Period



Fig. 3 Connection scheme between the gun and detuning system

## 2 Structure and connection of detuning system

The electron gun of the target (ET gun) was connected to a detuning system, which also represents a significant capacitive load. The ET gun consists of a cathode, grid, anode, and filament, as shown in Fig. 3. Electrodes were used to extract electrons from the thermionic cathode. The cathode was directly connected to the output of the detuning system. The other electrodes were connected to three individual DC power supplies, which floated on the detuning system. The main parameters of all the power supplies used for the Fe<sup>15+</sup> demonstration experiment are listed in Table 1.

 
 Table 1 Main parameters of all the power supplies for the electron gun and collector

-		
Electrode (PS)	Voltage range	Fe <sup>15+</sup> experiment
Cathode	$(0-10 \text{ kVDC}) + (0-\pm 1 \text{ kVAC})$	-2368.5 VDC±360 VAC
Anode	0–3 kV	1.5 kV
Grid	-3.5 kV to 3.5 kV	120 V
Filament	0–20 V	13 V
Collector	0–3.5 kV	1.5 kV

# 3 High-precision of high-voltage detuning system

The use of a low-frequency isolation power supply produces low-frequency conduction and radiation interference, which are difficult to eradicate or shield. This will significantly affect the control setting, which needs to reach the reference voltage on a microvolt scale, and the overall detuning system, which needs to limit the ripple voltage level to below 100 ppm. Switching noise can be minimized by using the soft-switching state in the discontinuous conduction mode (DCM), whereas the highfrequency sinusoidal waveform can provide low-harmonic power transmission. Therefore, the main auxiliary power supply incorporated the front-stage LCC resonant converter operating in the soft-switching state and the LC filter used in the post-stage for providing a high-frequency sinusoidal power transmission. This power supply structure, in addition to providing a low-switching noise and low-harmonic high-frequency isolation voltage for all the power supplies of the ET-gun, also provides an effective resistance when the system power supply is rapidly energized (equivalent open circuit), or the electron beam trajectory distortion (equivalent short circuit).

Including the HVPA and HVDC modules in the detuning system is the key to producing a detuning waveform. The detuning power supply of this system adopted the structure of the HVPA and HVDC modules in series. The unique properties of the HVPA allow it to drive the four-quadrant voltage and current required by the capacitive load of the ET gun, whereas the mature HVDC module can ensure a constant output of the DC high-voltage power for electron cooling. An overview of the high-precision high-voltage detuning system is presented in Fig. 4. In this section, the design process of the main auxiliary power supply and highvoltage detuning system is introduced in detail.

#### 3.1 Main auxiliary power supply

The zero-current soft-switching states of insulated gate bipolar transistors (IGBTs) can be achieved when the LCC converter operates in the DCM, which effectively reduces the interference noise caused by the hard-switching process. The switching frequency of IGBTs must be less than 2 times the resonant frequency [14]. The LCC resonant square-wave voltage output uses an LC filter to form a double-resonant frequency point on the logarithmic frequency curve. By designing the appropriate resonance and filter parameters and the voltage clamping

capacitor determined by the detuning load characteristics, the main auxiliary power supply can output a high-frequency sinusoidal waveform with a constant-amplitude voltage. The structures of the front-stage resonance converter and the poststage filter are shown in Fig. 4.

A transfer function was established for the front-stage LCC resonance converter and post-stage filter. The doubleresonance frequency point can be obtained by assuming that the imaginary part of the transfer function is zero. According to the structure of the front-stage resonance converter and the post-stage filter shown in Fig. 4, the imaginary part transfer function of Eq. (1) is as follows:

$$aw^6 - cw^4 + ew^2 = 1. (1)$$

The parameters *a*, *c*, and *e* are described in the appendix.

The filter resonant frequency  $f_1$  and DCM resonant frequency  $f_2$  can be obtained by solving (1). Equations (2) and (3) are the approximate solutions:

$$f_1 = \frac{1}{2\pi} \sqrt{\frac{1}{L_2} \left( \frac{C_2 C_3 + C_3 C_4 + C_2 C_4}{C_2 C_3 C_4} \right)},$$
 (2)

and

$$f_2 = \frac{1}{2\pi} \sqrt{\frac{L_1 + L_2 + L_3}{L_1(L_2 + L_3)}} \times \frac{C_1 + C_3}{C_1 C_3}.$$
 (3)



Fig. 4 An overview of the high-precision, high-voltage detuning system

Simplifying the post-stage filter and load of the main auxiliary power supply facilitates the analysis of the complex structure of the main auxiliary power supply. The post-stage filter and load are equivalent to the impedance  $Z_{load}$ , and the load current is equivalent to a constant in the switching period [15, 16]. Under steady-state conditions, a closed-form solution can be deduced from the state equations by analyzing the resonance converter and filter structure using the state-space method [16].

The converter is determined to operate in state 1 by assessing the same polarity of the parallel resonant capacitor voltage  $V_{C_3}$  and the supply voltage  $V_{AB}$ ; otherwise, the converter operates in state 2. The angle of state 1 is set as  $\theta_1$ , and the angle of state 2 is set as  $\theta_2$ . When the next switch is triggered, state 1 ends and the output capacitor voltage $V_{C_3}$ changes its polarity, converting it to state 2. Consequently, the end of one state is the beginning of another state, and the switching of states continuously results in the change of the polarity of the capacitor voltage  $V_{C_3}$ . The two different state relationships between  $V_{C_3}$  and  $V_{AB}$  in the DCM are shown in Fig. 5. Based on the aforementioned analysis, the voltage of the parallel resonant capacitor is zero when the state polarity is switched, which can be expressed by Eqs. (4), (5), and (6) as follows:

$$\theta_2 = w_0 t_2 = w_0 T_s - \theta_1, \tag{4}$$

$$w_0 = 1/(L_1(C_1//C_3))^{1/2},$$
  
 $T_s = 1/2f_s,$  (5)  
 $f_s = IGBTs$  Gating signal,





Fig. 5 Relationship between  $V_{\rm C_3}$  and  $V_{\rm AB}$  in the DCM for the two different states

$$V_{C_3}(\theta_2) = f(i_0, V_{C10}, V_{C30}) = 0.$$
 (6)

The state equation can be used to solve the  $\theta_2$  value of state 2 in the  $V_{C_3}$  polarity switching process, as shown in Eqs. (7) and (8), where  $t_1$  and  $t_2$  are the durations of states 1 and 2, respectively, and **A** and **B** are the coefficient matrices of the resonance converter and filter structure [14]. Matrix A describes the internal behavior of the resonance converter and filter structure. Matrix **B** represents the relationship between the external condition, resonance converter, and filter structure.

$$x(t_2) = [A][x(0)] + [B][u]$$
(7)

and

$$x(t_1) = [A][x(t_2)] + [B][u].$$
(8)

By combining (7) and (8), we can obtain (9):

$$x(t_1) = [A][[A][x(0)] + [B][u]] + [B][u].$$
(9)

In steady-state conditions, the following can be expressed:

$$\mathbf{x}(0) = -\mathbf{x}\big(T_{\mathrm{s}}\big).\tag{10}$$

Next, the following equation can be obtained by substituting  $i_0$ ,  $V_{C10}$ , and  $V_{C30}$ , from (9) and (10) into (6):

$$\theta_2 = \left[ \pi - \sin^{-1} \left( \varphi_1 / \sqrt{(\varphi_2^2 + \varphi_3^2)} \right) \right] - \left[ \pi + \tan^{-1} (\varphi_3 / \varphi_1) \right].$$
(11)

The formulas for calculating  $\varphi_1$ ,  $\varphi_2$ , and  $\varphi_3$  are shown in the appendix.

The turn-off time range of the switch and the time of the LCC resonant current passing 0 V need to be further calculated using the  $\theta_2$ .

Using the formula above, an LCC high-frequency series–parallel resonant sinusoidal power supply with a switching frequency of 22 kHz was designed. The design parameters of the LCC series–parallel resonant sinusoidal power supply are summarized in Table 2. Figure 6 presents the logarithmic frequency curves of the double-resonant frequency point obtained with the designed converter under different equivalent system loads. Figure 6 reveals that the voltage decay factor of the third-harmonic wave, or any harmonic above the third wave, remains unchanged in the process of different load changes of the designed converter, which maintains the sinusoidal output of the power supply within a certain load range.

#### 3.2 High-voltage detuning power supply

The high-voltage-detuning power supply was an HVPA connected in series to an HVDC module, which uses a special control method. The overall structure of the detuning

 Table 2
 Design parameters and specifications of the LCC resonant sinusoidal power supply

Parameters	Value	
Input DC bus voltage (V)	250	
Equivalent detuning PS load, $R(\Omega)$	100-1000	
Turn-off time	π/6	
Harmonic proportion	<15%	
Filter resonance frequency, $f_1$ (kHz)	22	
DCM resonance frequency, $f_2$ (kHz)	55.8	
Series resonant inductance, $L_1$ (uH)	350	
Parallel resonant inductance, $L_3$ (mH)	1.35	
Series resonant capacitor, $C_1$ (nF)	30	
Parallel resonant capacitor, $C_3$ (nF)	150	
Filter inductor, $L_2$ (mH)	1	
Filter capacitor, $C_2$ (nF)	100	
Clamping capacitor, $C_4$ (nF)	200	



Fig. 6 (Color online) Logarithmic-frequency curves of the double resonance points for the different equivalent loads

power supply and its feedback control methods are illustrated in Fig. 7. The external extended high-precision 24-bit DAC controlled by the Zyng FPGA (Field Programmable Gate Array) controller provides a reference voltage  $(V_{\text{ref}_{\text{HVPA}}} + V_{\text{ref}_{\text{HVDC}}})$  to the  $A_1$  shown in Fig. 7. This reference voltage is compared with the overall feedback voltage measured by the high-precision high-voltage divider so that PI feedback control of the entire detuning power supply is achieved through a loop control. The control setting  $(V_{\text{ref HV DC}})$  of the HVDC module was achieved using a separate photoelectric conversion control. The advantage of the detuning power supply control method is that the voltage of the ET-gun load can be quickly and dynamically compensated by the HVPA four-quadrant output. The load voltage can accurately return to the high-voltage DC initial value set by the HVDC module after the end of each detuning pulse despite being affected by the parasitic parameters in the system and the capacitive load characteristics of the ET gun.

The series structure of the detuning power supply causes the output pulse current of the HVDC module to be consistent with that of the HVPA during the detuning process. Therefore, a parallel pulse capacitor between the HVDC module output terminal and the HVPA output terminal as a current bypass is necessary. This structure effectively protects the HVDC and filters the output voltage of the HVDC module to reduce the overall output ripple of the detuning power supply.

HVPA uses multiple MOSFET (Metal Oxide Semiconductor Field Effect Transistor) and Darlington transistors in series to achieve positive and negative symmetrical cascade structures [17]. The multiple-MOSFET improved the overall withstanding voltage. A strict high-voltage equalization protection circuit must be designed for each MOSFET. The special structural design of the symmetrical cascade can rapidly drive the capacitive load of the ET gun to the falling edge of the end of the positive pulse or to the rising edge of the end of the negative pulse. In the static state, the symmetrical cascade assumes the function of high-voltage equalization, whereas in the dynamic state, the symmetrical cascade must be used as an AC circuit for a high-voltage linear output. Therefore, it is necessary to supply each MOSFET device with a sufficient driving voltage and establish the correct working state to ensure the stability of symmetrical cascades in static and dynamic operations. The load capacitance and ET structure capacitance are equivalent to 5 nF, and the instantaneous driving current of the 1 kV high-voltage output may rise as high as 10 mA. In which case the instantaneous driving current needs to be achieved by designing reasonable  $C_{\rm H}$ and  $C_{\rm L}$  front-stage energy storage capacitors for the frontstage  $\pm 2$  kV high-voltage power supply at the ends of the symmetrical cascade.

A linear optocoupler was used to isolate the high-voltage potential between the weak current control voltage and the Darlington transistor base electrode, which not only produces a linear transmission of the weak current control signal but also safely drives the Darlington transistor base electrode to operate in the linear amplification range. A current-series negative feedback circuit was designed between the error output and the optocoupler input to increase the optocoupler input impedance and stabilize the drive current. A voltage parallel negative feedback circuit is designed between the optocoupler output and the Darlington transistor base electrode, which performs the I-V conversion on the drive signal output by the linear optocoupler while further regulating the output current in the cascade amplifying loop, and eventually stabilizes the detuning voltage of the ET-gun load. The design process of the double-inner-loop feedback based on Fig. 7 is as follows.



Fig. 7 Overall structure of the detuning power supply and its feedback control method

In the current series negative-feedback circuit, the mutual inductance gain of the peripheral circuit composed of operational amplifier  $A_3$  is set as  $A_{gsf}$ , the input voltage as  $V_s$ , the input voltage of the operational amplifier in the same direction as  $V_i$ , and the closed-loop gain as  $A_{gf}$ ; the open-loop gain of the operational amplifier is nearly infinite, whereas the closed-loop input resistance is set as  $R_{if}$ , and the optocoupler drive current is set as  $i_{o1}$  and the feedback coefficient as  $F_r$ . Therefore, the conditions for achieving deep negative feedback are as follows:

$$A_{\rm gsf} = \frac{i_{\rm o1}}{v_{\rm i}} \frac{v_{\rm i}}{v_{\rm s}} = A_{\rm gf} \frac{R_{\rm if}}{R_{\rm si} + R_{\rm if}}.$$
 (12)

Because the  $R_{if}$  is significantly higher than  $R_{si}$ ,

$$A_{gsf} \approx A_{gf} \approx \frac{1}{F_r},$$
  

$$F_r = \frac{v_f}{i_{o1}} = \frac{i_{o1}R_f}{i_{o1}} = R_{14}.$$
(13)

In the voltage-parallel negative feedback circuit, the closed-loop mutual resistance gain of the operational amplifiers  $A_4$  and  $A_5$  is set as  $A_{rf}$ , the optocoupler output to the operational amplifier current as  $i_d$ , the feedback current as  $i_f$ , the feedback impedance as  $Z_f$ , and the feedback coefficient as  $F_g$ . Therefore, the conditions for achieving deep negative feedback are as follows:

$$i_{\rm d} \approx i_{\rm f} = \frac{-v_{\rm o}}{Z_{\rm f}},$$
  
 $F_{\rm g} \approx \frac{1}{A_{\rm rf}} = \frac{i_{\rm f}}{v_{\rm o}} = -\frac{1}{Z_{\rm f}} = -\frac{1}{R_{\rm 1}} - j\omega C_{\rm 2}.$ 
(14)

To improve the relative stability of HVPA, deep feedback should be utilized to achieve the state of  $|1 + AF| \gg 1[18]$ . Thus, the Darlington transistor with a large beta was selected to improve the open-loop gain. Based on the presented analysis, the slew rate of the output voltage of the HVPA in the load of the fixed capacitive ET gun primarily depends on  $F_r$ ,  $F_g$ , and  $K_p = R_p / R_i$ , whereas the rapid stability mainly depends on  $C_2$  in  $F_g$  and  $K_i = 1/(R_iC_i)$  in the feedback control.

Assuming that the optocoupler output resistance is  $R_D$ , since the feedback resistance  $R_1$  is generally less than  $R_D$ , the zero frequency of the voltage-parallel negative feedback circuit can be concluded to be always lower than the pole frequency. Furthermore, the optimal pole frequency setting based on the system stability was achieved when the relative frequency was located on an open-loop gain curve. The pole frequency  $f=1/(2\pi R_1 C_2)$  indicates that the high-frequency asymptotic line of the noise gain is only determined by the  $C_2$  value. The open-loop gain of this system can be simplified as follows [19]:

$$A_{\rm cl} = \frac{C_2 + C_{\rm D}}{C_2},$$
  

$$\frac{CBW}{f_{\rm p}} = \frac{C_2 + C_{\rm D}}{C_2}.$$
(15)

The  $C_2$  value can be obtained by solving (16):

$$C_{2} = \frac{1}{4\pi R_{1}GBW} \left[ 1 + \sqrt{(1 + 8\pi R_{1}C_{D}GBW)} \right],$$
  

$$C_{D} = C_{pd} + C_{id} + C_{icm}.$$
(16)

The  $C_{pd}$  is the linear optocoupler output inherent capacitance,  $C_{id}$  is the op-amp differential capacitance,  $C_{icm}$  is the op-amp common-mode capacitance, and *GBW* is the gain bandwidth product of the operational amplifier  $A_4$ .

To facilitate further analysis of the influence of various parameters of the series structure of the HVPA and highvoltage DC on the detuning waveform, the overall transfer function model of an equivalent detuning power supply with nonzero initial conditions was established in this study. This was achieved by simplifying the MOSFET, Darlington transistor, and external driving excitation source, as described by the formula below.

$$G(s) = \frac{A_1 s^4 + B_1 s^3 + C_1 s^2 + D_1 s + E_1}{A_2 s^5 + B_2 s^4 + C_2 s^3 + D_2 s^2 + E_2 s} \times \frac{\beta}{R_1 R_{14} (1 + \lambda) (r_{bc} R_4 R_5 + r_{bc} R_3 R_5 + R_3 R_4 R_5 + R_2 R_4 R_5 + R_2 R_4 R_5 \beta)}$$
(17)

 Table 3
 Summary of specifications and design parameters of the detuning power supply prototype

Parameters	Value
Maximum detuning pulse voltage (V)	±1000
Maximum Electron cooling DC voltage (kV)	-10
Detuning pulse frequency (Hz)	2.5
Maximum detuning pulse rise/fall time (µs)	< 500
Detuning Vpp ripple (HVDC+HVPA) (ppm)	<100
Minimum detuning voltage step (V)	1
Maximum detuning current (mA)	>10
Voltage parallel negative feedback, $R_1$ (k $\Omega$ )	40
Voltage parallel negative feedback, $C_2$ (pF)	20
Current series negative feedback, $R_{14}(\Omega)$	430
Darlington transistor input resistor, $R_3(\Omega)$	100
Darlington transistor clamp resistor, $R_4(\Omega)$	1000
Darlington transistor FB resistor, $R_2$ (k $\Omega$ )	10
Darlington transistor emitter resistor, $R_5(\Omega)$	150
Pulse current bypass capacitor, $C_{\rm B}$ (nF)	20
Energy storage capacitor, $C_{\rm L}$ and $C_{\rm H}$ (nF)	200
Equivalent load, $C_{g}$ (nF)	5
High voltage divider resistor, $R_{\rm H}$ (M $\Omega$ )	300
High voltage sensing resistor, $R_{\rm L}$ (k $\Omega$ )	30

The  $\beta$  value is the amplification factor of the Darlington transistor, and  $\lambda$  is the ratio of the gate current to the drain current of the MOSFET in the symmetrical cascade. The formulae for calculating  $A_1, A_2, B_1, B_2, C_1, C_2, D_1, D_2, E_1$ , and  $E_2$  are shown in the appendix.

The main decisive factors influencing the ability of the detuning power supply to achieve the pulse within a rise/fall time of 500 µs are the load capacity of the ET-gun and the  $K_{\rm p}, F_{\rm g}, F_{\rm r}$  of the deep negative feedback formula analyzed above. The peak-to-peak voltage of the HVPA output ripple is primarily related to the steady-state performance of the design parameters. Hence, the parameters of the detuning power supply are optimized and simulated under ideal conditions using the transfer function in Eq. (17), which provides a powerful rationale for the prototype design in Sect. IV. The specifications and prototype parameters of the detuning power supply are listed in Table 3. Figure 8a presents the simulation of the optimized overshoot and oscillation of the output waveform of the detuning power supply by adjusting the parameters  $K_{\rm p}$ ,  $F_{\rm g}$ , and  $F_{\rm r}$ . Because  $F_{\rm g}$  and  $F_{\rm r}$  can be easily determined by designing the component parameters of the required circuit, we first fixed the  $F_{g}$  and  $F_{r}$  parameters and optimized the waveform by changing  $K_{\rm p}$ . If changing  $K_{\rm p}$ causes the system to attain the expected rise time when the



Fig.8 (Color online) Results of the HVPA output simulation. a Simulated comparison of the detuning power supply with the optimized and unoptimized parameters. b Bode diagram of the detuning power supply after parameter optimization

flat-top oscillations cannot be eliminated by adjusting  $K_i$ , it is necessary to further fine-tune  $F_g$  and  $F_r$  and combine  $K_p$  for optimization. The optimized rise time is controlled within 500 µs, and the overshoot and oscillation of the rising edge are well-improved. The Bode diagram in Fig. 8b shows the passband of the optimized detuning power supply reaching 10 kHz, which satisfies the response-time requirement of the DR detuning waveform.

## 4 Experimental results

A prototype of the detuning system is developed using the design parameters verified by the simulation described in Sect. 3. The main auxiliary power supply in the system can

produce soft-switching zero-current sinusoidal waveform outputs at 22 kHz with less than 15% of harmonic components. Figure 9 presents the sinusoidal voltage waveform of the measured LCC series–parallel resonant converter output and the current of the converter in the soft-switching state. The yellow C1 and orange C3 lines represent the gate drive signals of the IGBT. The green C2 line represents the resonant current. The resonant current achieved a softswitching zero-current working state during the dead time of the IGBT gate-drive signal. The blue C4 line represents a high-frequency resonant sine waveform, and its harmonic proportion is less than 15%.

The high-precision setting of the DR waveform and the timing of the detuning power supply were managed by the developed controller. The maximum output voltage test of



**Fig. 9** (Color online) The sinusoidal waveform output by the LCC series–parallel resonant converter and the current of the converter in the soft-switching state are measured



Fig. 10 (Color online) Detuning power supply and its test results of the complete DR scanning period

the 5 nF load was conducted by using a 1:10,000 high-precision high-voltage divider. The DC ripple, pulse top ripple, and pulse rise/fall edge times satisfied all the design requirements. The detuning power supply and test results for the complete DR sweeping period are shown in Fig. 10. The oscilloscope displays the DR sweep voltage of 0 to  $\pm$  1000 V with an offset of -10 kV. The designed high-voltage divider adopts a two-way voltage output, one of which is used as the input of comparator  $A_1$  shown in Fig. 7, and the other is used for voltage monitoring.

The test result of the  $\pm 1$  kV pulse voltage floating above the -10 kV DC voltage is shown in Fig. 11. The rise/fall time of the pulse are both less than 500 us. The front-stage energy storage capacitors (200 nF) assist in reducing the front-stage  $\pm 2$  kV high-voltage power supply output instantaneous current despite them operating with the maximum output detuning voltage at an equivalent ET gun load (5 nF). The rise time of the 1 kV pulse is 180.3 µs, and the fall time is 323.7 µs. The rise/fall times satisfied the design requirements. The difference between the rise/fall times arises from the different  $F_{\rho}$  parameters between the positive and negative symmetrical cascades. Different  $F_{o}$  parameters can prevent positive and negative symmetrical cascades from simultaneously turning on during the power-on process. The rise time of the simulation detuning pulse shown in Fig. 8a is 230 µs; the trend of the rise time of the pulse shown in Fig. 11 is faster than the simulated rise time. This is mainly because the use of the same simulation parameters on the positive and negative symmetrical cascades will lead to the problem of turning on both sides simultaneously; the positive pulse parameters are adjusted based on the simulation. In addition, the rise time of the detuning pulse is affected by the



Fig. 11 (Color online) Maximum output voltage test. The bright blue line is the overall output of the detuning power supply. ( $-10 \text{ k VAC} \pm 1000 \text{ V}$ DC). The pulse rise time measured by the oscilloscope is 180.3 µs. The green line is the output current of the front-stage positive power supply in HVPA. The pink line is the output current of the front-stage negative power supply in HVPA



**Fig. 12** (Color online) The ripple test for the output maximum detuning voltage. The test uses a C-R circuit (C=20 nF, R=100 M $\Omega$ ) to indirectly measure the ripple of the detuning voltage under the condition of long pulse widths. **a** The blue line is the overall ripple voltage of the HVDC output ranging from 1 to 10 kV, measured with the HVPA output maximum of 1000 V. **b** The red line is the ripple of the HVPA output at 1 kV. The blue line is the ripple at the top of the overall output detuning voltage (-10 kV + 1000 V). **c** The waveform is the FFT of the middle two ripples

drive of the multiple MOSs, and active components such as multiple MOSs are idealized and replaced in the simulation. As shown in Fig. 12a, the ripple in the HVDC output at 1000 V exceeds 100 ppm. However, within the normal DR experimental range, HVDC output ripples of greater than 2000 V can be limited to the 100 ppm range. The HVDC cannot meet the specifications at low voltages owing to the background noise. Figure 12b and c also demonstrate the ripple waveform and ripple FFT, respectively, at the maximum output. The main ripple harmonic components were 22 kHz and were high-order harmonics. This is because the system adopts a floating and in-series structure, which disturbs the power-supply ripple owing to the isolated power supply. The ripple of the detuning power supply is subject to the conducted and radiated interference from the isolated power supply. A greater output power of the isolated power supply results in stronger interference. In addition, an effective solution is to maintain the high-frequency source distant from the experimental equipment, use the relevant electromagnetic shielding, and suppress the related common-mode interference.

To understand the performance of the developed electron-energy fast detuning system, we first installed the prototype on a CSRm electron cooler [20] and tested it with an online DR experiment for Li-like Fe<sup>15+</sup> ions. In the experiment, the Li-like Fe<sup>15+</sup> ions were produced from an ECR ion source and accelerated to a beam energy of 4.35 MeV/u by a sector-focused cyclotron and then injected into the cooler storage ring CSRm [21]. The electron cooling HV was set at -2368.5 V, and the electron current was 46 mA, under which the electron and ion beam are velocity-matched, that is, the electron and ion beams have the same mean velocity in the longitudinal direction and the relative energy between these two beams is zero. The main parameters of all the power supplies for the electron gun are listed in Table 1.

After the electron cooling was done for several seconds, the momentum spread  $(\Delta p/p)$  of the injected ion beam was reduced to approximately  $1.75 \times 10^{-4}$ . In the DR measurement, the electron energy was scanned from 0 to  $\pm$  360 V in the entire measurement cycle. For each detuning voltage point, the electron energy was detuned for 20 ms and set to the cooling point ( $E_{rel} = 0$ ) for 180 ms to maintain a good ion beam quality. The relative energy between the electron and ion beams at the cm frame was calculated using the following formula:

$$E_{\rm rel} = \sqrt{m_{\rm e}^2 c^4 + m_{\rm i}^2 c^4 + 2m_{\rm e} m_{\rm i} \gamma_{\rm e} \gamma_{\rm i} c^4 (1 - \beta_{\rm e} \beta_{\rm i} \cos \theta) - m_{\rm e} c^2 - m_{\rm i} c^2},$$
(18)

where  $m_e$  and  $m_i$  are the electron- and ion-resting masses, respectively; *c* is the speed of light,  $\gamma_e$  and  $\gamma_i$  denote the Lorentz factors of the electron and ion beams, respectively.  $v_e = \beta_e c$  and  $v_{ion} = \beta_i c$  are the velocities of the electron and ion beams. The angle  $\theta$  between the electron and ion beam was safely assumed to be zero in the current experiment. The space-charge effects were carefully considered, and the drag-force effects were found to be negligible. For electron–ion recombination experiments at heavy ion storage rings, the recombination rate coefficient  $\alpha$  can be deduced from the recombination counting rate *R* at a relative energy  $E_{rel}$  between the electron and ion by the following [22]:

$$\alpha(E) = \frac{R(E)}{N_i n_e (1 - \beta_i \beta_e)} \frac{C}{L},\tag{19}$$

where  $N_i$  is the number of stored ions,  $n_e$  is the density of the electron beam, *L* is the length of the effective interaction section, and *C* is the circumference of the storage ring.

According to Eqs. (18) and (19), the obtained electron-ion recombination spectra are shown in Fig. 13. The recombination spectra measured under the positive and



Fig. 13 (Color online) Result of the DR demonstration experiment. **a** Comparison of the measured DR spectrum with the TSR; the abscissa is expressed by the voltage value. **b** Fitting of the longitudinal temperature to the broadening of the DR resonance peak between 1 and 2.5 eV

negative detuning voltages are represented by the solid red and blue curves, respectively. The spectra cover an electron-ion collision energy of 0-15 eV, encompassing part of the DR resonances owing to the  $3 s \rightarrow 3p$  and 3d core excitations. The strong peak at 0 eV clearly indicates the contribution of the radiative recombination (RR) process. The resonant positions in Fig. 13a and the corresponding detuning voltages are shown in the lower panel. We also compared the measured DR spectra with the experimental results from the TSR measurement in detail [23]; the resulting resonant parameters were in good agreement. The ripple of the power supply affected the longitudinal temperature of the electron beam, and the change in the longitudinal temperature was reflected in the broadening of the DR resonance peak. By fitting the longitudinal temperature to the broadening of the DR resonance peak shown in Fig. 13b between 1.0 and 2.5 eV and using the constant parameter (C=2) to calculate Eq. (23) [24, 25,

26], the results demonstrate that the ripple of the power supply was approximately 116 ppm. The main reason for the difference between the theoretical calculation and power supply test results is that the theoretical longitudinal temperature is affected by many factors, such as the space charge effect, longitudinal-longitudinal relaxation, and cathode temperature. Although the calculated results are not consistent with the measured results, it is highly likely that the broadening of the DR resonance peak is compatible with the ripple measurement.

## 5 Conclusion

In this study, the analysis and design of the main auxiliary power supply with an LCC series–parallel resonant converter in the front stage and an LC filter structure in the poststage are introduced, which can provide power transmission with low harmonics and low switching noise and protect the system in extreme cases. Based on the DR experimental waveform requirements and ET-gun load characteristics, a high-voltage detuning power supply with HVPA and HVDC modules in series was designed. The implementation and practical considerations of the overall structure of the detuning power supply were described. The proposed method achieves a large instantaneous current of the HVPA output and solves the simultaneous conduction of the positive and negative symmetric cascades of the HVPA.

The designed auxiliary power supply was used to provide a high-frequency isolated power transmission for detuning the power supply. The 0 to  $\pm 1$  kV detuning pulses floating above 0 to -10 kV DC were achieved on an equivalent ET gun load (5 nF) using the designed special detuning power supply. The pulse ripple was less than 100 ppm, and the rising or falling edge was less than 500 us, which met the requirements of the DR experiment. According to the DR experimental parameters of the experimental ion Fe<sup>15+</sup>, the 0 to  $\pm 360$  V pulses floating above the high voltage -2368.5 V DC output of the system were used for the DR test. The resonant parameters of the experimental results were consistent with those of the DR test of the TSR, which verified that the detuning system achieved the proposed technical indicators.

The presented results demonstrate the reliability and feasibility of this newly designed electron energy detuning system, which also provides an early technical reserve and paves the way for the future contraction of the detuning system for the SRing electron target. In addition, the designed detuning power supply provides an applicable technical solution for driving capacitive loads, such as electron guns, to achieve fast rising or falling edges and low top-ripple linear high-voltage pulses.

#### Appendix

The components a, c, and e used in the imaginary transfer function calculation described in Eq. (1) were obtained using the following formula:

$$a = L_1 L_2 L_3 C_1 C_2 C_3$$
  

$$c = L_2 L_3 C_2 C_3 + C_1 C_3 L_1 L_3 + C_1 C_2 (L_1 L_3 + L_2 L_3 + L_1 L_2)$$
  

$$e = L_2 C_2 + L_3 C_3 + C_2 L_3 + L_1 C_1 + L_3 C_1$$
(20)

The components  $\varphi_1, \varphi_2$  and  $\varphi_3$  used in formula (11) can be obtained by the following:

$$\varphi_{1} = U_{i} \sin w_{0} T_{s}$$

$$\varphi_{2} = U_{i} (1 + \cos w_{0} T_{s})$$

$$\varphi_{3} = \frac{\varphi_{2} + (C_{1} / / C_{3}) \sqrt{L_{1}} \sin w_{0} T_{s}}{C_{3} \sqrt{C_{1} / / C_{3}}} + \frac{\sqrt{L_{1}} i_{L}}{2C_{1} \sqrt{C_{1} / / C_{3}}}$$
(21)

The components  $A_1, A_2, B_1, B_2, C_1, C_2, D_1, D_2, E_1$ , and  $E_2$  in the transfer function of the equivalent detuning power supply described in Eq. (17) are obtained by the following formula:

$$\begin{aligned} A_{1} &= R_{1}R_{2}R_{4}R_{5}C_{2}C_{B}L_{B}C_{i} \\ B_{1} &= (R_{1}R_{2}R_{4} + R_{2}R_{4}R_{5} - R_{1}R_{3}R_{5})C_{B}L_{B}C_{i} \\ &+ R_{1}R_{2}R_{4}R_{5}C_{2}C_{B}(R_{B}C_{i} + L_{B}R_{p}) \\ C_{1} &= R_{1}R_{2}R_{4}R_{5}C_{2}(C_{B}R_{B}R_{p} + C_{i}) + (C_{B}R_{B}C_{i} + C_{B}L_{B}R_{p}) \\ &(R_{1}R_{2}R_{4} + R_{2}R_{4}R_{5} - R_{1}R_{3}R_{5}) \\ D_{1} &= R_{1}R_{2}R_{4}R_{5}C_{2}R_{p} + (R_{1}R_{2}R_{4} + R_{2}R_{4}R_{5} - R_{1}R_{3}R_{5}) \\ &(C_{B}R_{B}R_{p} + C_{i}) \\ E_{1} &= (R_{1}R_{2}R_{4} + R_{2}R_{4}R_{5} - R_{1}R_{3}R_{5})R_{p} \\ A_{2} &= R_{1}C_{2}C_{B}L_{B}C_{g}C_{L}R_{B} \\ B_{2} &= R_{1}C_{2}(C_{L} + C_{g})C_{B}R_{B} + C_{B}L_{B}C_{g}C_{L}R_{B} \\ C_{2} &= (C_{L} + C_{g})C_{B}L_{B} + R_{1}C_{2}R_{B}(C_{g}C_{L} + (C_{L} + C_{g})C_{B}) \\ D_{2} &= R_{1}C_{2}(C_{L} + C_{g}) + C_{g}C_{L}R_{B} + (C_{L} + C_{g})C_{B}R_{B} \\ E_{2} &= C_{L} + C_{g} \end{aligned}$$

$$(22)$$

$$kT_{||} = \frac{(kT_{\rm c})^2}{2E_{\rm kin}} + C\frac{e^2}{4\pi\epsilon_0}n_{\rm e}^{\frac{1}{3}} + \frac{E_{\rm kin}}{\gamma+1}\left(\frac{\Delta U}{U}\right)^2$$
(23)

Author contributions All authors contributed to the study conception and design. Material preparation, data collection and analysis were performed by Kai-Ming Yan, Ming-Rui Li, Yun-Bin Zhou, Xiao-Ming Ma, Jin-Bin Shangguan, Zhong-Kui Huang, Xiao-Jun Wang, Mei-Tang Tang, Jie Gao, Hou-Ke Huang, Da-Qin Gao and Li-Jun Mao. The first draft of the manuscript was written by Kai-Ming Yan and all authors commented on previous versions of the manuscript. All authors read and approved the final manuscript. **Data availability** The data that support the findings of this study are openly available in Science Data Bank at https://www.doi.org/10. 57760/sciencedb.07941 and https://cstr.cn/31253.11.sciencedb.07941.

#### Declarations

**Conflict of interest** The authors declare that they have no competing interests.

## References

- P. Beiersdorfer, N. Hell, J. Lepson, Temperature measurements using the dielectronic satellite lines of fe xvii. Astron. J. 864, 24 (2018). https://doi.org/10.3847/1538-4357/aad27f
- S. Preval, N. Badnell, M. O'Mullane, Partial and total dielectronic recombination rate coefficients for W<sup>73+</sup> to W<sup>56+</sup>. Phys. Rev. A. 93, 042703 (2016). https://doi.org/10.1103/PhysRevA.93.042703
- E. Lindroth, H. Danared, P. Glans et al., QED effects in Cu-like Pb recombination resonances near threshold. Phys. Rev. Lett. 86, 5027 (2001). https://doi.org/10.1016/j.nimb.2008.10.040
- S. Schippers, Relativistic, QED and nuclear effects in highly charged ions revealed by resonant electron-ion recombination in storage rings. Nucl. Instrum. Meth. B. 267, 192–195 (2009). https://doi.org/10.1016/j.nimb.2008.10.040
- C. Brandau, C. Kozhuharov, Z. Harman et al., Isotope shift in the dielectronic recombination of three-electron Nd<sup>57+</sup> A. Phys. Rev. Lett. **100**, 073201 (2008). https://doi.org/10.1103/PhysRevLett. 100.073201
- S. Schippers, E. Schmidt, D. Bernhardt et al., Photorecombination of berylliumlike Ti<sup>18+</sup>: hyperfine quenching of dielectronic resonances. J. Phys. Conf. Ser. 58, 025 (2007). https://doi.org/10. 1088/1742-6596/58/1/025
- M. Lestinsky, E. Lindroth, D. Orlov et al., Screened radiative corrections from hyperfine-split dielectronic resonances in lithiumlike scandium. Phys. Rev. Lett. **100**, 033001 (2008). https://doi. org/10.1103/PhysRevLett.100.033001
- S.J.N.I. Schippers, Electron-ion merged-beam experiments at heavy-ion storage rings. Nucl. Instrum. Meth. B. 350, 61–65 (2015). https://doi.org/10.1016/j.nimb.2014.12.050
- C. Brandau, C. Kozhuharov, M. Lestinsky et al., Storage-ring experiments on dielectronic recombination at the interface of atomic and nuclear physics. Phys. Scripta 2015, 014022 (2015). https://doi.org/10.1088/0031-8949/2015/T166/014022
- R. Schuch, S. Böhm, Atomic physics with ions stored in the round. J. Phys. Conf. Ser. 88, 012002 (2007). https://doi.org/10.1088/ 1742-6596/88/1/012002
- G.-F. Qu, W.-P. Chai, J.-W. Xia et al., Two-plane painting injection scheme for BRing of HIAF. Nucl. Sci. Tech. 28, 114 (2017). https://doi.org/10.1007/s41365-017-0260-5
- Z.K. Huang, W.Q. Wen, X. Xu et al., Dielectronic recombination experiments at the storage rings: from the present CSR to the future HIAF. Nucl. Instrum. Method B. 408, 135–139 (2017). https://doi.org/10.1016/j.nimb.2017.04.024
- T.M. Tang, L.J. Mao, H.J. Lu et al., Design of an efficient collector for the HIAF electron cooling system. Nucl. Sci. Tech. 32, 116 (2021). https://doi.org/10.1007/S41365-021-00949-0
- V. Belaguli, A.K.S. Bhat, Series-parallel resonant converter operating in discontinuous current mode. Analysis, design, simulation, and experimental results. IEEE Trans. Circuits Syst. I Fund. Theory Appl. 47(4), 433–442 (2000). https://doi.org/10.1109/81. 841845
- 15. R. Yang, H.F. Ding, Y. Xu et al., An analytical steady-state model of LCC type series–parallel resonant converter with capacitive

output filter. IEEE. T. Power. Electr. **29**, 328–338 (2013). https:// doi.org/10.1109/TPEL.2013.2248753

- A.K.S. Bhat, S.B. Dewan, Analysis and design of a high-frequency resonant converter using LCC-type commutation. IEEE Trans. Power Electron. PE-2(4), 291–301 (1987). https://doi.org/ 10.1109/TPEL.1987.4307864
- 17. K.M. Yan, X.M. Ma, J.B. Shangguan, et al., C.N. Patent 202110283776 (2021).
- H.G. Kang, D.Q. Chen, L. Zhang et al., *Electronic Technology Fundamentals: Analog part*, 6th ed. (China: HEP, 2013), pp. 348–360.
- H. Skolnik, Design considerations for linear optically coupled isolation amplifiers. IEEE. J. Solid-St Circ. 17, 1094–1101 (1982). https://doi.org/10.1109/JSSC.1982.1051866
- K.M. Yan, Y.B. Zhou, X.M. Ma et al., High-voltage detuning power system of HIRFL-CSRm electron cooler for dielectronicrecombination experiments. Nucl. Instrum. Meth. A. 1046, 167699 (2022). https://doi.org/10.1016/j.nima.2022.167699
- H.-M. Xie, K.-W. Gu, Y. Wei et al., A noninvasive Ionization Profile Monitor for transverse beam cooling and orbit oscillation study in HIRFL-CSR. Nucl. Sci. Tech. 31, 40 (2020). https://doi. org/10.1007/s41365-020-0743-7
- 22. D. Bernhardt, C. Brandau, Z. Harman et al., Breit interaction in dielectronic recombination of hydrogenlike uranium. Phys. Rev.

A. 83, 020701 (2011). https://doi.org/10.1103/PhysRevA.83. 020701

- J. Linkemann, J. Kenntner, A. Müller et al., Electron impact ionization and dielectronic recombination of sodium-like iron ions. Nucl. Instrum. Meth. B. 98, 154–157 (1995). https://doi.org/10. 1016/0168-583X(95)00095-X
- L.J. Mao, X.D. Yang, J.W. Xia et al., Electron beam longitudinal temperatures of electron cooler on CSR. Chin. Phys. C. 30, 54–56 (2006)
- A. Aleksandrov, N. Dikansky, N.C. Kot et al., Relaxations in electron beams and adiabatic acceleration. Phys. Rev. A. 46, 6628 (1992). https://doi.org/10.1103/PhysRevA.46.6628
- N.S. Dikansky, V.I. Kudelainen, V.A. Lebedev et al., *Ultimate Possibilities of Electron Cooling* (Institute of Nuclear Physics, Novosibirsk, 1988), pp. 88–61.

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